

AEM 250 Mechanics of Materials

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I. Further direction

A. Course Introduction

Mechanics of Materials

↳ engineering materials
steel, cast, concrete

study of how objects respond to load

In this class we will study useful engineering relationships between loads on structures & its deformation.

In general we will have

Requirements

(Concepts) Restrictions
Design Formula
Answer

Design Structures -
- working structures
- general structures
- good structures
Design

To get the most of a class:

- read the book before class
- think about concepts on your own
- understand the homework

B. Concept of Stress

Stress is the intensity of force.

$$\frac{\text{FORCE}}{\text{AREA}} = \text{STRESS}$$

∴ units of stress

$$\frac{\text{FORCE}}{\text{lb}}$$

N

$$\frac{\text{AREA}}{\text{in}^2}$$

m²

$$\frac{\text{STRESS}}{\text{lb/in}^2}$$

N/m²

psi

Pa (Pascal)

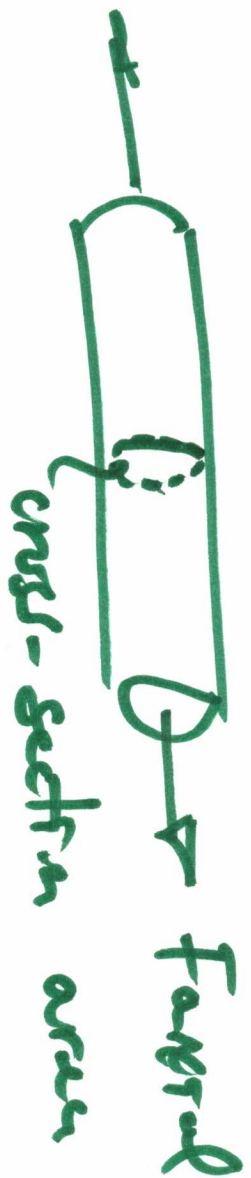
Powers of 10^3

Pa	Pa
KPa	10^3 Pa
MPa	10^6 Pa
GPa	10^9 Pa

<u>ENG</u>	<u>SCT</u>
54.0×10^3	5.4×10^4

mm	10^{-3} milli meters
μm	10^{-6} micrometers

2. Axial Normal Stress



$$\sigma_{axial} = \frac{F_{axial}}{A_{cross-section}}$$

(Free body diagram of 2-force member)

Sign convention



Steel bar $\sigma_{break} = 80 \text{ ksi} = 80 \times 10^3 \text{ psi}$

diameter = 0.25 in

How much force can it hold?

$$\sigma = \frac{F}{A} = 80 \times 10^3 \frac{\text{lb}}{\text{in}^2} = \frac{F_{break}}{\pi/4 (0.25)^2 \text{in}^2}$$

$$F_{break} = 3930 \text{ lbs}$$